

## Unit 5

## The chi-squared ( $\chi^2$ ) test

Null hypothesis: No statistically significant difference between observed & expected results - any results are due to chance.

If null hypothesis is false, then alternative hypothesis must be true.

e.g. There is no correlation between protein in diet and height.

If  $\rightarrow$  Null hypothesis accepted = variation due to chance  
rejected = variation significant

### chi-squared ( $\chi^2$ ) test

$$\chi^2 = \sum \frac{(O-E)^2}{E} \quad \sum = \text{sum of} \quad \begin{array}{l} O = \text{observed numbers} \\ E = \text{expected numbers} \end{array}$$

1. Record observed numbers
2. Calculate expected numbers (from expected ratios)
3. Calculate  $O-E$ , then  $(O-E)^2$ .
4. Divide  $(O-E)^2$  by  $E$ .
5. Add up the numbers in the last column =  $\chi^2$

• Bigger the value of  $\chi^2$ , more certain of significant difference

1. Determine degrees of freedom - one less than class.
2. Cross reference with  $p = 0.05 =$  critical value.

critical value  $< \chi^2 >$  critical value = significant difference;  
Accept null hypothesis accept experimental hypothesis.

$\Rightarrow$  no significant diff

$\Rightarrow$  any diff due to chance.